The Servers of Serverless Computing A Formal Revisitation of Functions as Services

- Saverio Giallorenzo^{1,2}*former*, Ivan Lanese¹, Fabrizio Montesi², Davide Sangiorgi¹, and Stefano Pio Zingaro¹
 - ¹Università di Bologna/INRIA
 - ²University of Southern Denmark

A Gentle Introduction to Serverless





Monolith



saverio.giallorenzo@gmail.com



Microservices

Serverless



Runtime Environment





A Gentle Introduction to Serverless











Serverless as Research Topic

Venue

Future Generation Computer Systems

IEEE Internet Computing

IEEE Transactions on Parallel and Distributed S

USENIX Annual Technical Conference + Hot IC2E + IEEE CLOUD + CLOSER ACM Symposium on Cloud Computing (So SIGMOD Middleware CIDR OOPSLA ICSE INFOCOM

	# Papers	Core / SCIMAGO Rank
	8	Software : Q1
	3	Computer Networks and Communications : 01
Systems	2	Computational Theory and Mathematics: Q1
Cloud	13 (6,7)	A / -
	20 (5,10,5)	- / B / -
OCC)	12	_
	4	A*
	4	Α
	3	Α
	2	A*
	2	A*
	2	A*

Source: DBLP





The Servers of Serverless





influenced by λ and π calculus

 π calculus



SKC · Syntax

Configurations $C ::= \langle S, \mathcal{D} \rangle | \boldsymbol{\nu} n C$ Definition repository \mathcal{D} ::= { $(f_1, M_1), \ldots, (f_k, M_k)$ } $(k \ge 0)$ Systems $S, S' ::= c \triangleleft M \mid S \mid S' \mid \nu n S \mid 0$ Functions M, N ::= M N |V|Values $V, V' ::= x | \lambda x. M | f$ Restrictable names $h \qquad \qquad ::= \quad f \mid x$ ſ \in Fun Function names \in Fut Future names c Variables Var \in ${\mathcal X}$

call $h \mid$ store $h \mid N \mid M \mid$ take $h \mid \nu f \mid M \mid$ async $M \mid c$

DIP2020





SKC · Simple Example

$\rightarrow \langle c \triangleleft M, D \rangle$ $\rightarrow \langle c \triangleleft V, D \rangle$

$\langle c \cdot call f, D \cup \{(f, M)\} \rangle$



SKC · Simple Example (async)

 $\langle c \triangleleft async call f, \mathcal{D} \rangle$ $\longrightarrow \langle \nu c' \ (c \blacktriangleleft c' \mid c' \blacktriangleleft V), \mathcal{D} \rangle$ $\longrightarrow \langle \nu c' \, (c \blacktriangleleft V \mid c' \blacktriangleleft V), \mathcal{D} \rangle$





SKC · Example, Private State

$(newLog, \nu log(store log call nil log)) \in D$ Fresh name Name Body Continuation

Fresh name /restriction

SKC · **Example, Private State** ($newLog, \nu log(store log call nil log)$) $\in D$

SKC • **Example, Private State** ($newLog, \nu log(store log call nil log)$) $\in D$

 $\langle c \cdot (\lambda x. (\text{call pair}((M x)(N x)) x)) | \text{call newLog}, D \rangle$

SKC · **Example, Private State** $(newLog, \nu log(store log call nil log)) \in D$

 $\langle c \cdot (\lambda x. (call pair ((M x)(N x)) x)) call newLog, D \rangle$

 $\langle c \cdot (\lambda x. (call pair ((M x)(N x)) x)) \rangle \nu log(store log call nil log), D \rangle$

saverio.giallorenzo@gmail.com





SKC · **Example, Private State** $(newLog, \nu log(store log call nil log)) \in D$

 $\langle c \cdot (\lambda x. (call pair ((M x)(N x)) x)) call newLog, D \rangle$

 $\langle c \cdot (\lambda x. (\text{call pair}((M x)(N x)) x)) | \nu log(\text{store log call nil log}), D \rangle$

 $\nu log \langle c \cdot (\lambda x. (call pair ((M x)(N x)) x)) log, D \cup \{(log, call nil)\} \rangle$



DIP2020

SKC • **Example, Private State** $(newLog, \nu log(store log call nil log)) \in D$

 $\langle c \cdot (\lambda x. (call pair ((M x)(N x)) x)) call newLog, D \rangle$

 $\langle c \cdot (\lambda x. (call pair ((M x)(N x)) x)) \nu log(store log call nil log), D \rangle$

 $\nu log \langle c \cdot (\lambda x. (call pair ((M x)(N x)) x)) log, D \cup \{(log, call nil)\} \rangle$

 $\nu log(c \cdot call pair ((M log)(N log)) log, D \cup \{(log, call nil)\} \rangle$



DIP2020

SKC · **Example, Private State** $(newLog, \nu log(store log call nil log)) \in D$

 $\langle c \cdot (\lambda x. (call pair ((M x)(N x)) x)) call newLog, D \rangle$

 $\langle c \cdot (\lambda x. (call pair ((M x)(N x)) x)) | \nu log(store log call nil log), D \rangle$

 $\nu log \langle c \cdot (\lambda x \cdot (call pair ((M x))) \rangle$

 $\nu log(c \cdot call pair ((M log)(N log)) log, D \cup \{(log, call nil)\})$ $\nu log \langle c \cdot call \ pair (M \ log \ V_N) \ log, D \cup \{(log, N_{log})\} \rangle$ 108

$$(V x)(x)(x) = \log D \cup \{(\log, \operatorname{call} nil)\}$$



DIP2020

SKC · Example, Private State $(newLog, \nu log(store log call nil log)) \in D$ $\langle c \cdot (\lambda x. (call pair ((M x)(N x)) x)) call newLog, D \rangle$

 $\langle c \cdot (\lambda x. (call pair ((M x)(N x)) x)) | \nu log(store log call nil log), D \rangle$

 $\nu log \langle c \cdot (\lambda x. (call pair ((M x)(N x)) x)) log, D \cup \{(log, call nil)\} \rangle$

 $\nu log(c \cdot call pair ((M log)(N log)) log, D \cup \{(log, call nil)\} \rangle$

 $\nu log \langle c \bullet call \ pair \ (M \ log \ V_N) \ log, D \cup \{(log, N_{log})\} \rangle$

 $\nu log \langle c \cdot call pair | V_M | log, D \cup \{ (log, N_{log} :: M_{log}) \} \rangle$



DIP2020

SKC · Results, $SKC \leftrightarrow \pi$ Operational Correspondence

Theorem 1. From SKC-to- π operational correspondence If $C \to C'$ then $\llbracket C \rrbracket^* \to \approx \llbracket C' \rrbracket^*$

Theorem 2. From π -to-*SKC* operational correspondence. If $\{[C]\}^* \to P$ then there is C' with $C \to C'$ and $P \approx [[C']]^*$



SKC • Future Work

- state transformation serialisability;
- execution model of Serverless;
- given system from Serverless to Microservices and vice versa;

- guarantees like sequential execution, sequential consistency, and global-

- programming models that give programmers a global view of the overall logic of the distributed functions and capture the loosely-consistent

- transformation frameworks, e.g., depending on the application context and inbound load, users/optimisation systems can transform parts of a

prediction models for cost/resource usage, which require a modelling that relates functions and their execution at the implementation layer.



Thank for your time



DIP2020

Appendix



SKC • Example, applications and non-determinism

$\langle c_0 \triangleleft \text{store } wa \text{ (call } pair \text{ (call } cons 0 \text{ call } cons 0 \text{ call } nil) 1 \text{ ()}$ (call second w)) call wa, D

 $c_1 \triangleleft \text{call } trainAndStore \ wa \ (\text{call } pair \ (\text{call } cons \ 0 \ \text{call } cons \ 0 \ \text{call } nil \ 0)$ $c_2 \blacktriangleleft call trainAndStore wa (call pair (call cons 0 call cons 1 call nil) 0)$ $c_3 \triangleleft call trainAndStore wa (call pair (call cons 1 call cons 0 call nil) 0)$ $c_4 \triangleleft call trainAndStore wa (call pair (call cons 1 call cons 1 call cons 1 call nil) 1)$ $c_5 \blacktriangleleft \lambda w.$ (call predict (call cons 0 call cons 1 call nil) (call first w)

DIP2020



SKC • Example, applications and non-determinism $\langle c_0 | \text{store } wa \cdots$ $|c_1 \cdot call trainAndStore call wa \cdots$ c_{2} call trainAndStore call wa ... $|c_3 < call trainAndStore call wa \cdots$ c_{4}

 c_{4}

 c_{4}
 $c_$ $|c_5 \cdot \lambda w. (call predict \cdots) call wa, D \rangle$