



Reversible Computing

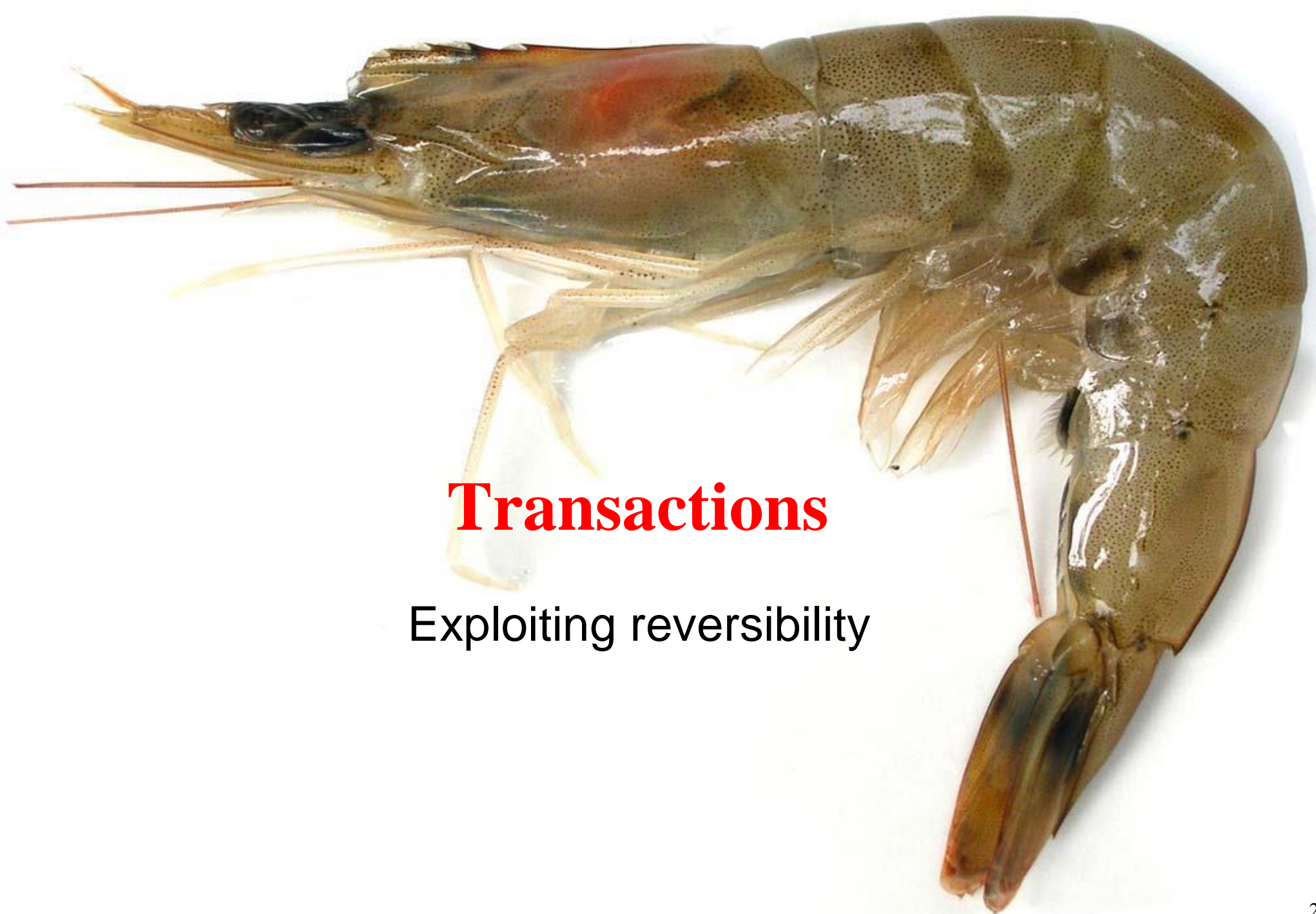
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Transactions

Exploiting reversibility

Interacting transactions

- We have been able to encode interacting transactions from
[Edsko de Vries, Vasileios Koutavas, Matthew Hennessy: Communicating Transactions. CONCUR 2010]
- Improving on the original semantics
- Now we have the tools to understand why

Transactions with compensations

- They have the form $[P, Q]_\gamma$
- A transaction executing P , with compensation Q and with name γ
- Behaves as P
- In case of commit, only P remains
- In case of abort, the effects of P are undone, and only Q remains

Transactions in croll- π

- $\llbracket [P, Q]_\gamma \rrbracket =$
 $va\ vc\ a\langle 0 \rangle\%c\langle 0 \rangle\%0 \mid a(X) \triangleright_\gamma \llbracket P \rrbracket \mid c(Y) \triangleright \llbracket Q \rrbracket$
- Abort is *roll* γ
- Commit is implicit: if there is no *roll* γ then the compensation and the transaction machinery become garbage
- We simulate the transaction boundary with causality tracking
- Atomic transaction: P is executed all or nothing
 - If P aborts all its effects are undone
- Not isolated

Interacting transactions in TransCCS



- Syntax

$$P ::= \bar{a} \mid a.P \mid P|Q \mid \nu a P \mid 0 \mid [P \triangleright_k Q] \mid co k$$

- Semantics

$$\bar{a} \mid a.P \rightarrow P$$

$$[P \triangleright_k Q] \mid R \rightarrow [P \mid R \triangleright_k Q \mid R] \quad \text{if } k \notin fn(R)$$

$$[P \mid co k \triangleright_k Q] \rightarrow P$$

$$[P \triangleright_k Q] \rightarrow Q$$

- Processes from the environment moved into the transaction to interact with it
 - Saved also in the compensation
- Implicit abort, explicit commit

Example: transactions interacting

- $[\bar{a} \triangleright_k Q] \mid [a.P \triangleright_h Q'] \rightarrow$
 $[a.P \mid [\bar{a} \triangleright_k Q] \triangleright_h Q' \mid [\bar{a} \triangleright_k Q]] \rightarrow$
 $[[\bar{a} \mid a.P \triangleright_k Q \mid a.P] \triangleright_h Q' \mid [\bar{a} \triangleright_k Q]] \rightarrow$
 $[[P \triangleright_k Q \mid a.P] \triangleright_h Q' \mid [\bar{a} \triangleright_k Q]]$
- Using the other embedding would have been fine too
- If other processes would be in the transaction k together with \bar{a} then they would have entered the transaction h too

Example: external interactions aborted

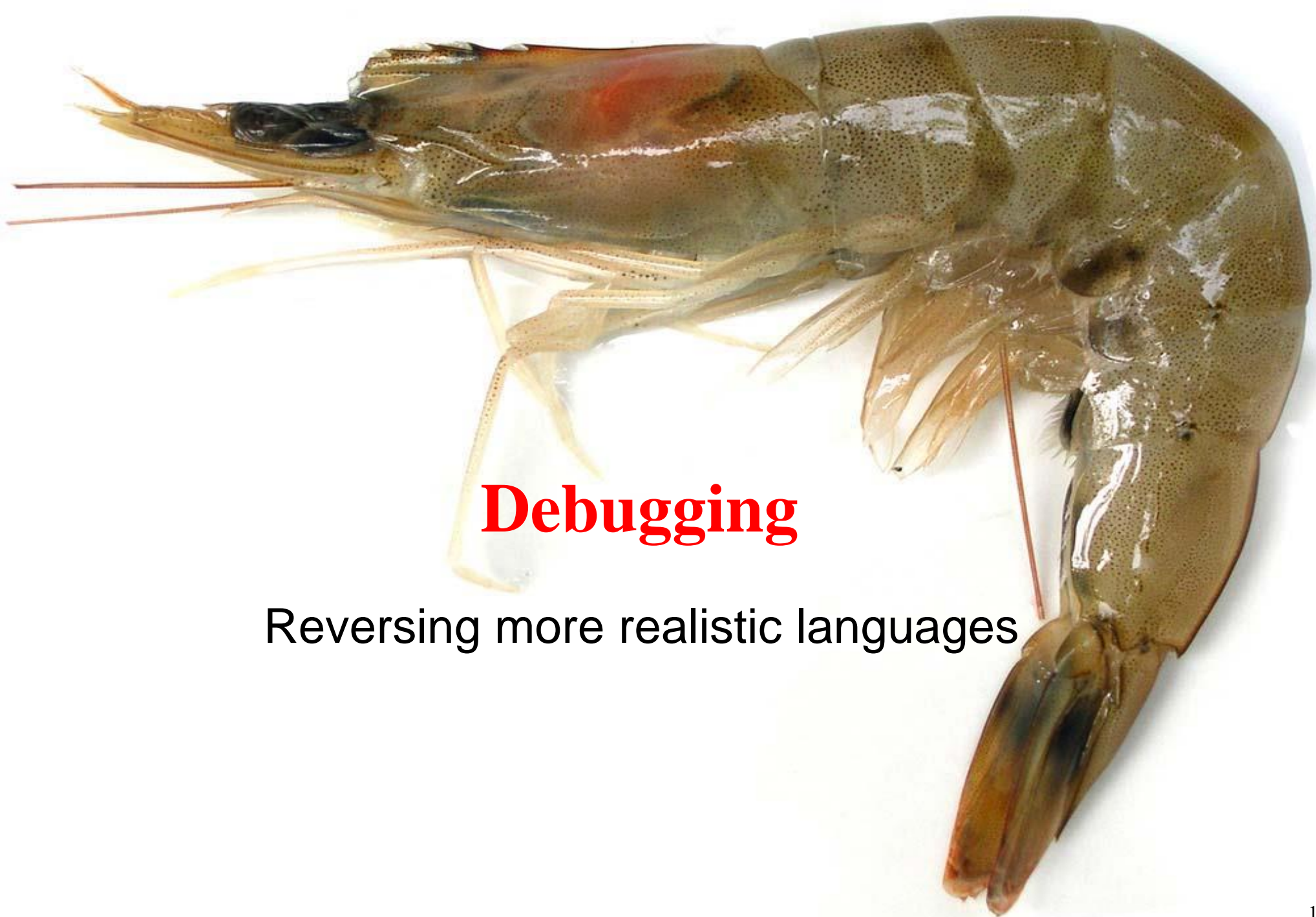
- $\bar{a} \mid a.R \mid [P \triangleright_k Q] \rightarrow$
 $[P \mid \bar{a} \mid a.R \triangleright_k Q \mid \bar{a} \mid a.R] \rightarrow$
 $[P \mid R \triangleright_k Q \mid \bar{a} \mid a.R] \rightarrow$
 $Q \mid \bar{a} \mid a.R$
- Why undoing the synchronization on a ?
- No reason for it to occur inside the transaction

Interacting transactions in croll- π

- $\llbracket [P \triangleright_l Q] \rrbracket = [\nu l \llbracket P \rrbracket \mid l \langle roll \ \gamma \rangle \mid l(X) \triangleright X, \llbracket Q \rrbracket]_\gamma$
- We simulate the automatic abort with a *roll* that can be enabled at any moment
- $\llbracket co \ l \rrbracket = l(X) \triangleright 0$
- A commit disables the abort

Comparing the two approaches

- $\llbracket [P \triangleright_l Q] \rrbracket = [\nu l \llbracket P \rrbracket \mid l\langle roll \gamma \rangle \mid l(X) \triangleright X, \llbracket Q \rrbracket]_\gamma$
- In croll- π only reductions depending on the transaction body are undone
 - In TransCCS other reductions are undone, and then redone
 - Difference due to a more precise causality tracking
- In croll- π abort is not atomic
 - First, commit becomes impossible
 - Then, abort is performed
- Atomicity problem solvable with choice
 - $roll \gamma + l(X) \triangleright 0$
 - With $l\langle 0 \rangle$ as commit



Debugging

Reversing more realistic languages

Debugging

- Going back and forward can help in finding a bug
- Some commercial debuggers provide the command “step back” in a sequential setting
 - For instance, gcc
- Our theory enables the definition of step back in a concurrent setting
 - The user specifies the thread to step back
 - Only threads which have no active consequences can step back
- Are there other commands we may add to a debugger to help the programmer to debug concurrent applications?
 - Based on our reversibility techniques

Which language to debug?

- No one programs in CCS or HO π
- We would be very happy to build a debugger for Java, C++ or Erlang
 - For now, this requires too much effort
- We want to experiment on a simple programming language
 - Concurrent
 - Sharing features with more widespread languages
 - With a formal semantics
 - Sharing features with the calculi we can reverse
- We have chosen μOz

μOz

- A kernel language of Oz
[P. Van Roy and S. Haridi. Concepts, Techniques and Models of Computer Programming. MIT Press, 2004]
- Oz is at the base of the Mozart language
- Higher-order language
 - Procedures can be communicated
- Thread-based concurrency
- Asynchronous communication via ports
- Variables are always created fresh and never modified
- Shared memory
 - Variable names are sent, not their content

μ Oz syntax

- $S ::=$

skip	[Statements]
$S_1 S_2$	[Empty statement]
let $x = v$ in S end	[Sequence]
if x then S_1 else S_2 end	[Variable declaration]
thread S end	[Conditional]
let $x=c$ in S end	[Thread creation]
$\{x x_1 \dots x_n\}$	[Procedure declaration]
let $x=Newport$ in S end	[Procedure call]
$\{Send x y\}$	[Port creation]
let $x = \{Receive y\}$ in S end	[Send]
- $c ::= \text{proc } \{x_1 \dots x_n\} S \text{ end}$

	[Receive]
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μ Oz semantics

- Semantics defined by a stack-based abstract machine
- The abstract machine exploits a run-time syntax
- Each thread is a stack of instructions
 - The starting program is inserted into a stack
 - Thread creation creates new stacks
- Procedures are stored as closures
- Ports are queues of variables
- Semantics closed under
 - Contexts (for both code and state)
 - Structural congruence

μ Oz semantics: rules

R:skp	$\frac{\langle \mathbf{skip} \ T \rangle}{0} \parallel \frac{T}{0}$
R:var	$\frac{\langle \mathbf{let} \ x = v \ \mathbf{in} \ S \ \mathbf{end} \ T \rangle}{0} \parallel \frac{\langle S\{x'/x\} \ T \rangle}{x' = v} \text{ if } x' \text{ fresh}$
R:npr	$\frac{\langle \mathbf{let} \ x = c \ \mathbf{in} \ S \ \mathbf{end} \ T \rangle}{0} \parallel \frac{\langle S\{x'/x\} \ T \rangle}{x' = \xi \parallel \xi : c} \text{ if } x', \xi \text{ fresh}$
R:npt	$\frac{\langle \mathbf{let} \ x = \mathbf{NewPort} \ \mathbf{in} \ S \ \mathbf{end} \ T \rangle}{0} \parallel \frac{\langle S\{x'/x\} \ T \rangle}{x' = \xi \parallel \xi : \perp} \text{ if } x', \xi \text{ fresh}$
R:if1	$\frac{\langle \mathbf{if} \ x \ \mathbf{then} \ S_1 \ \mathbf{else} \ S_2 \ \mathbf{end} \ T \rangle}{x = \mathbf{true}} \parallel \frac{\langle S_1 \ T \rangle}{x = \mathbf{true}}$
R:nth	$\frac{\langle \mathbf{thread} \ S \ \mathbf{end} \ T \rangle}{0} \parallel \frac{T \parallel \langle S \ \langle \rangle \rangle}{0}$
R:pc	$\frac{\langle \{ x \ x_1 \dots x_n \} \ T \rangle}{x = \xi \parallel \xi : \mathbf{proc} \ \{ y_1 \dots y_n \} \ S \ \mathbf{end}} \parallel \frac{\langle S\{x_1/y_1\} \dots \{x_n/y_n\} \ T \rangle}{x = \xi \parallel \xi : \mathbf{proc} \ \{ y_1 \dots y_n \} \ S \ \mathbf{end}}$
R:snd	$\frac{\langle \{ \mathbf{Send} \ x \ y \} \ T \rangle}{x = \xi \parallel \xi : Q} \parallel \frac{T}{x = \xi \parallel \xi : y; Q}$
R:rcv	$\frac{\langle \mathbf{let} \ x = \{ \mathbf{Receive} \ y \} \ \mathbf{in} \ S \ \mathbf{end} \ T \rangle}{y = \xi \parallel \xi : Q; z \parallel z = w} \parallel \frac{\langle S\{x'/x\} \ T \rangle}{y = \xi \parallel \xi : Q \parallel z = w \parallel x' = w} \text{ if } x' \text{ fresh}$

μ Oz reversible semantics

- We give unique names to threads
- We add histories to threads to remember past actions
- We add a delimiter to record when scopes end
 - For let
 - For procedure body
 - For if-then-else
- Ports have histories too
 - Should record also sender and receiver of each message
 - We do not want to change the order of communications

μOz reversible semantics: forward rules

R:fw:skp	$\frac{t[H]\langle \mathbf{skip} \ C \rangle}{0} \parallel \frac{t[H \ \mathbf{skip}]C}{0}$
R:fw:var	$\frac{t[H]\langle \mathbf{let} \ x = v \ \mathbf{in} \ S \ \mathbf{end} \ C \rangle}{0} \parallel \frac{t[H \ * \ x']\langle S\{x'/x\} \ \langle \mathbf{esc} \ C \rangle \rangle}{x' = v} \text{ if } x' \text{ fresh}$
R:fw:npr	$\frac{t[H]\langle \mathbf{let} \ x = c \ \mathbf{in} \ S \ \mathbf{end} \ C \rangle}{0} \parallel \frac{t[H \ * \ x']\langle S\{x'/x\} \ \langle \mathbf{esc} \ C \rangle \rangle}{x' = \xi \parallel \xi : c} \text{ if } x', \xi \text{ fresh}$
R:fw:npt	$\frac{t[H]\langle \mathbf{let} \ x = \mathbf{NewPort} \ \mathbf{in} \ S \ \mathbf{end} \ C \rangle}{0} \parallel \frac{t[H \ * \ x']\langle S\{x'/x\} \ \langle \mathbf{esc} \ C \rangle \rangle}{x' = \xi \parallel \xi : \perp \mid \perp} \text{ if } x', \xi \text{ fresh}$
R:fw:if1	$\frac{t[H]\langle \mathbf{if} \ x \ \mathbf{then} \ S_1 \ \mathbf{else} \ S_2 \ \mathbf{end} \ C \rangle}{x = \mathbf{true}} \parallel \frac{t[H \ \mathbf{if}(x)S_2]\langle S_1 \ \langle \mathbf{esc} \ C \rangle \rangle}{x = \mathbf{true}}$
R:fw:nth	$\frac{t[H]\langle \mathbf{thread} \ S \ \mathbf{end} \ C \rangle}{0} \parallel \frac{t[H \ * \ t']C \parallel t'[\perp]\langle S \ \langle \rangle \rangle}{0} \text{ if } t' \text{ fresh}$
R:fw:pc	$\frac{t[H]\langle \{ x \ (x_i)_1^n \} C \rangle}{x = \xi \parallel \xi : \mathbf{proc} \ \{ (y_i)_1^n \} \ S \ \mathbf{end}} \parallel \frac{t[H \ \{ x \ (x_i)_1^n \}]\langle S(\{x_i/y_i\})_1^n \ \langle \mathbf{esc} \ C \rangle \rangle}{x = \xi \parallel \xi : \mathbf{proc} \ \{ (y_i)_1^n \} \ S \ \mathbf{end}}$
R:fw:snd	$\frac{t[H]\langle \{ \mathbf{Send} \ x \ y \} C \rangle}{x = \xi \parallel \xi : K \mid K_h} \parallel \frac{t[H \ \uparrow x]C}{x = \xi \parallel \xi : t:y; K \mid K_h}$
R:fw:rev	$\frac{t[H]\langle \mathbf{let} \ y = \{ \mathbf{Receive} \ x \} \ \mathbf{in} \ S \ \mathbf{end} \ C \rangle}{\theta \parallel \xi : K; t':z \mid K_h} \parallel \frac{t[H \ \downarrow x(y')]\langle S\{y'/y\} \ \langle \mathbf{esc} \ C \rangle \rangle}{\theta \parallel \xi : K \mid t':z, t; K_h \parallel y' = w} \text{ if } y' \text{ fresh} \wedge \theta \triangleq x = \xi \parallel z = w$
R:fw:scp	$\frac{t[H]\langle \mathbf{esc} \ C \rangle}{0} \parallel \frac{t[H \ \mathbf{esc}]C}{0}$

μOz reversible semantics: backward rules

R:bk:skp	$\frac{t[H \text{ skip}]C}{0} \parallel \frac{t[H]\langle \text{skip } C \rangle}{0}$
R:bk:var	$\frac{t[H * x]\langle S \langle \text{esc } C \rangle \rangle}{x = v} \parallel \frac{t[H]\langle \text{let } x = v \text{ in } S \text{ end } C \rangle}{0}$
R:bk:npr	$\frac{t[H * x]\langle S \langle \text{esc } C \rangle \rangle}{x = \xi \parallel \xi : c} \parallel \frac{t[H]\langle \text{let } x = c \text{ in } S \text{ end } C \rangle}{0}$
R:bk:npt	$\frac{t[H * x]\langle S \langle \text{esc } C \rangle \rangle}{x = \xi \parallel \xi : \perp \perp} \parallel \frac{t[H]\langle \text{let } x = \text{NewPort in } S \text{ end } C \rangle}{0}$
R:bk:if1	$\frac{t[H \text{ if}(x)S_2]\langle S_1 \langle \text{esc } C \rangle \rangle}{x = \text{true}} \parallel \frac{t[H]\langle \text{if } x \text{ then } S_1 \text{ else } S_2 \text{ end } C \rangle}{x = \text{true}}$
R:bk:nth	$\frac{t[H * t']C \parallel t'[\perp]\langle S \langle \rangle \rangle}{0} \parallel \frac{t[H]\langle \text{thread } S \text{ end } C \rangle}{0}$
R:bk:pc	$\frac{t[H \{ x (x_i)_1^n \}]\langle S \langle \text{esc } C \rangle \rangle}{0} \parallel \frac{t[H]\langle \{ x (x_i)_1^n \} C \rangle}{0}$
R:bk:snd	$\frac{t[H \uparrow x]C}{x = \xi \parallel \xi : t:y; K K_h} \parallel \frac{t[H]\langle \{ \text{Send } x y \} C \rangle}{x = \xi \parallel \xi : K K_h}$
R:bk:rcv	$\frac{t[H \downarrow x(z)]\langle S \langle \text{esc } C \rangle \rangle}{z = w \parallel x = \xi \parallel \xi : K t':y, t; K_h} \parallel \frac{t[H]\langle \text{let } z = \{ \text{Receive } x \} \text{ in } S \text{ end } C \rangle}{x = \xi \parallel \xi : K; t':y K_h}$
R:bk:scp	$\frac{t[H \text{ esc}]C}{0} \parallel \frac{t[H]\langle \text{esc } C \rangle}{0}$

Debugging μOz

- An interpreter of the reversible semantics is nearly a reversible debugger
- A debugger needs the following commands
 - Commands to control execution
 - Commands to explore the configuration
 - » Both code and state

Step commands

- Step forward
 - Standard
 - The user specifies the target thread
 - Step forward not enabled if waiting for resources
 - Receive from an empty queue
- Step backward
 - Only in reversible debuggers
 - The user specifies the target thread
 - Not enabled if waiting for dependencies to be undone
 - E.g, cannot step back the creation of a thread with not empty history

Other execution commands

- Run
 - Standard
 - Requires to define a scheduler
- Roll
 - Only in causal consistent reversible debuggers
 - Undo of a past action, including its consequences
 - May involve many threads
 - Should follow the dependencies

Configuration commands

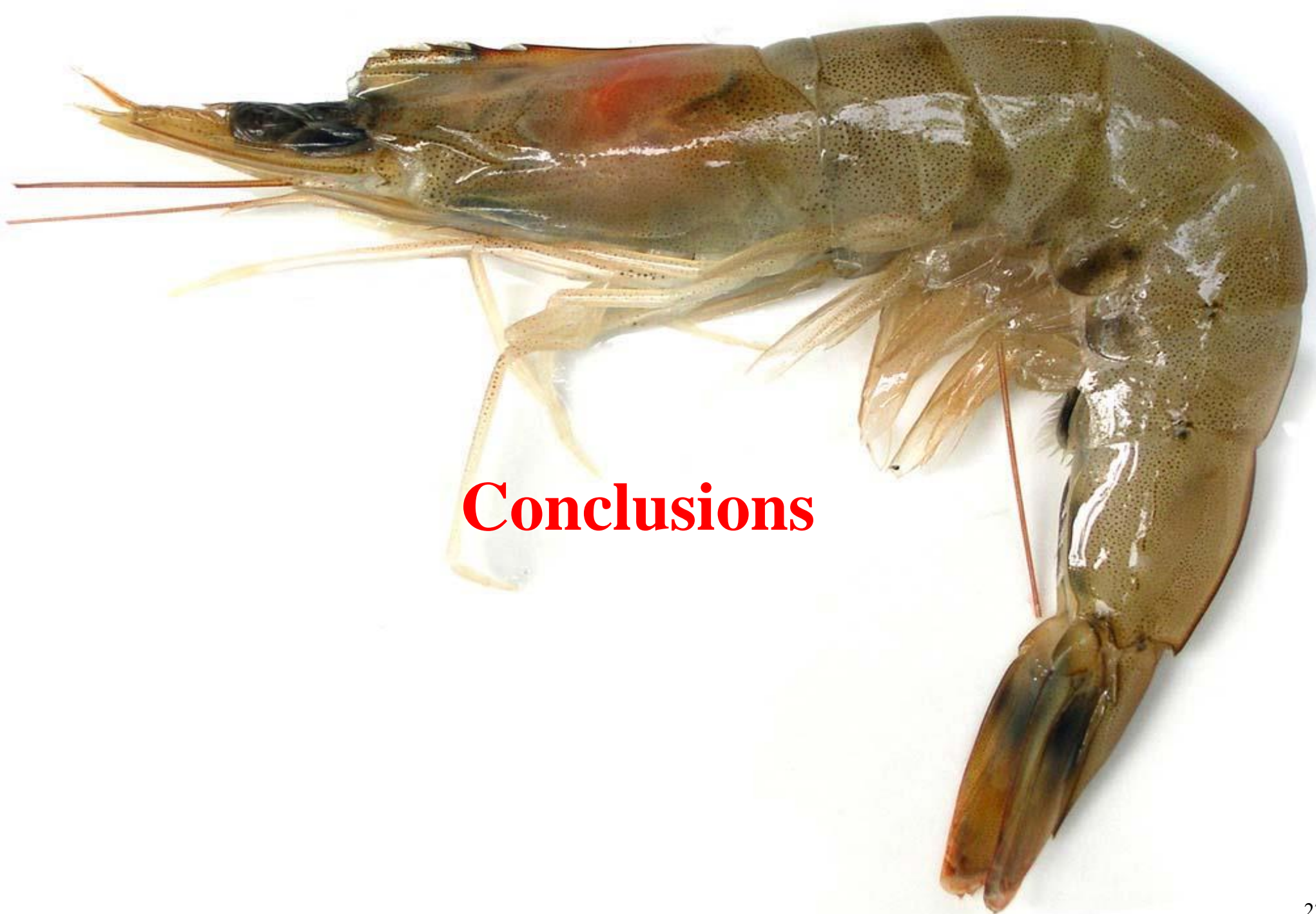
- List of threads
 - Only in concurrent debuggers
- Display of the store
- Display of the code of a thread
- Display of the history of a thread
 - Only in reversible debuggers

Dump and restore

- When debugging I may go back
- If the try is unsuccessful I may go forward again to the state I come from
- I normally do not record forward states
- Dump and restore solve the issue

Our prototype debugger

- Disclaimer: only a prototype
 - Quite unusable
 - Will improve in the future
- Written in Java
- Closely follows the semantics we have seen
- Available at
<http://proton.inrialpes.fr/~mezzina/deb/>
- Starts with `java -jar deb.jar inputfile`



Conclusions

Summary

- Uncontrolled reversibility, for various languages
- Mechanisms for controlling reversibility
 - In particular using **roll**
- How to avoid looping using alternatives
- Some applications
 - State space exploration
 - Interacting transactions
 - Debugging

Future work: framework



- Many open questions
- Can we apply our techniques to mainstream concurrent languages?
 - Concurrent ML, Erlang, Java, ...
- Behavioral equivalences
 - How can we reason on reversible programs?
 - How to define compositional semantics?
- Implementation issues
 - Can we store histories in more efficient ways?
 - How much overhead do we have?
 - Trade-off between efficiency and granularity of reversibility

Future work: applications



- Can we find other killer applications?
 - Software transactional memories
 - Existing algorithms for distributed checkpointing
- Improving the debugger
 - Which are the commands we can provide?
 - Which debugging strategies they enable?
 - Which kind of bugs can they help to find?

Finally

Thanks!

Questions?